## LIFFEPAC Math



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## Meet our friends.

There's Doc and Revver, and Vicky, too.

They'Il guide you through the LIFEPACs, and keep the scores for you.


Doc


Vicky

Revver

## FUN WITH NUMBERS

My name is

## Memory Verse

"We love Him, because He first loved us." 1 John 4:19


## Objectives

1. I can add to 18 .
2. I can skip count by 2's and 10's.
3. I can learn about even and odd numbers.
4. I can learn place value.
5. I can count pennies and dimes.
6. I can measure objects and use a ruler.
7. I can recognize flat and solid shapes.

## I. Part One

Count to 18 on the number line.


We can add on the number line.
We can add $6+3=9$.


Count to 6 and put your finger on the 6 .
Count 3 more.
We have counted to 9 on the number line.
We can say that $6+3=9$.
We can find facts to 18 on the number line.

Add on the number line.


## Put your finger on the 1 and

count 1 more.
$1+1=$ ?
We have counted to $\qquad$ on the number line.
We can say that $1+1=$ $\qquad$ .
count 2 more.
$1+2=$ ?
We have counted to $\qquad$ on the number line.
We can say that $1+2=$ $\qquad$ .
count 3 more.
$1+3=$ ?
We have counted to $\qquad$ on the number line.
We can say that $1+3=$ $\qquad$ .
count 4 more.
$1+4=$ ?
We have counted to $\qquad$ on the number line.
We can say that $1+4=$ $\qquad$ .


Use the number line for the facts.
Write the number in the $\square$


