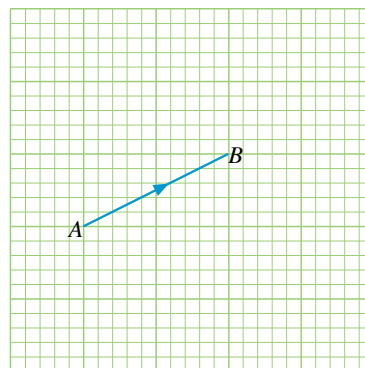


Brainworks

7. The diagram shows a vector \vec{AB} .
- Draw a vector \vec{CD} which is equal to \vec{AB} .
 - Draw a vector \vec{EF} such that $|\vec{EF}| = |\vec{AB}|$, but $\vec{EF} \neq \vec{AB}$.
 - Draw a vector \vec{GH} such that $|\vec{GH}| \neq |\vec{AB}|$, but \vec{GH} and \vec{AB} are in the same direction.

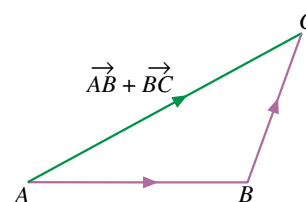


4.2 Operations On Vectors

A. Addition

If an object is translated from A to B , and then from B to C , the combined effect is a translation from A to C . Therefore, we refer to the combined effect as the addition of vectors \vec{AB} and \vec{BC} , and the addition is defined as

$$\vec{AB} + \vec{BC} = \vec{AC}.$$



\vec{AC} is called the **sum** or the **resultant** of the vectors \vec{AB} and \vec{BC} . \vec{AC} is also the single translation that moves the object directly from A to C . This rule is known as the **triangle law of vector addition**.

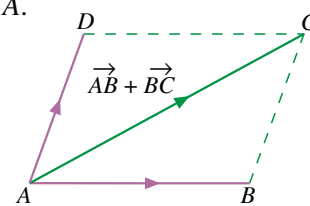
Notice that, for the sum $\vec{AB} + \vec{BC}$, B is the intermediate point. That means, the terminal point of the vector \vec{AB} is connected to the initial point of the vector \vec{BC} .

Now, consider the sum of the vectors \vec{AB} and \vec{AD} with the common initial point A . We construct a parallelogram $ABCD$ with adjacent sides BC and CD as shown.

Then $\vec{AD} = \vec{BC}$ (opposite sides of parallelogram)

$$\begin{aligned} \therefore \vec{AB} + \vec{AD} &= \vec{AB} + \vec{BC} \\ &= \vec{AC} \quad (\text{triangle law of vector addition}) \end{aligned}$$

$$\text{i.e. } \vec{AB} + \vec{AD} = \vec{AC}$$



where AC is the diagonal of the parallelogram $ABCD$. This is known as the **parallelogram law of vector addition**.